# 합집합, 교집합, 차집합, 여집합, 전체집합 

(Union, Intersection, Relative Complement(Difference), Universal Set, Absolute Complement(Complement))

Union, Intersection, Relative Complement(Difference), Universal Set, Absolute Complement(Complement)

- $A \cup B$ :

Union, Intersection, Relative Complement(Difference), Universal Set, Absolute Complement(Complement)

- $A \cup B$ : the union of

Union, Intersection, Relative Complement(Difference), Universal Set, Absolute Complement(Complement)

- $A \cup B$ : the union of $A$ and $B$

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- Universal Set : the set of all elements under consideration, denoted by capital $U$.
- $A \cup B$ : the union of $A$ and $B$

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Union, Intersection, Relative Complement(Difference), Universal Set, Absolute Complement(Complement)

YouTube: https://youtu.be/px3qG6opK-Y
Click or paste URL into the URL search bar, and you can see a picture moving.

