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(Definiton of Limit)

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Let

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Let f

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Let f be

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Let f be a function

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Let f be a function defined on

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Let f be a function defined on some open interval

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Let f be a function defined on some open interval that

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Let f be a function defined on some open interval that contains

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Let f be a function defined on some open interval that contains the number a

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Let f be a function defined on some open interval that contains the number a, except possibly

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Let f be a function defined on some open interval that contains the number a, except possibly at a itself.

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Let f be a function defined on some open interval that contains the number a, except possibly at a itself. Then

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Let f be a function defined on some open interval that contains the number a, except possibly at a itself. Then we

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Github:
https://min7014.github.io/math20231127001.html

Click or paste URL into the URL search bar, and you can see a picture moving.